

Active mixing with Quincke rollers

The Quincke effect, from rotors to rollers

Quincke effect: spontaneous rotation of dielectric objects immersed in a conductive liquid in the presence of a DC field E .

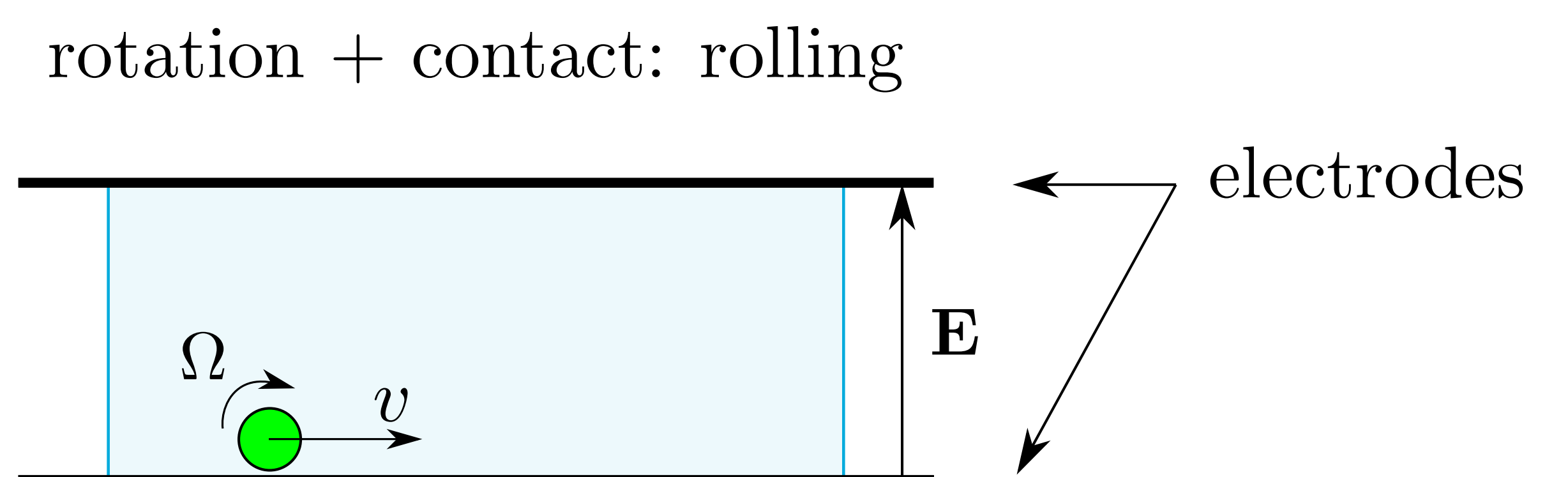
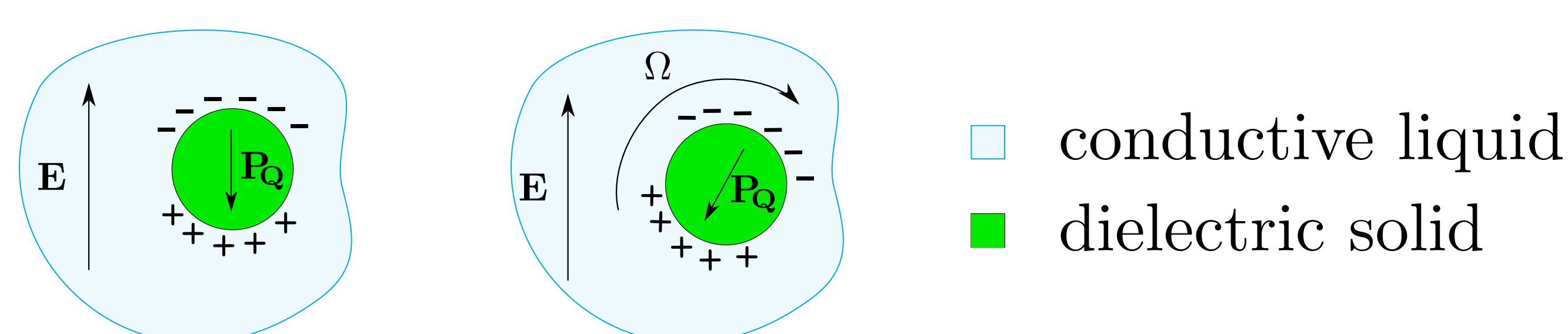
Discontinuity between dielectric constants and conductivities:

$\varepsilon_p \neq \varepsilon_l$, $\sigma_p \neq \sigma_l \rightsquigarrow$ accumulation of charges at the interface, with timescale $\tau = \frac{\varepsilon_p + 2\varepsilon_l}{\sigma_p + 2\sigma_l}$ (p: particles, l: liquid)
 \rightsquigarrow electric dipole \mathbf{P}_Q , antiparallel to the field.

Above threshold E_Q : net dipole dominated by $\mathbf{P}_Q \rightsquigarrow$ unstable situation

\rightsquigarrow electric torque, balanced with a viscous torque.

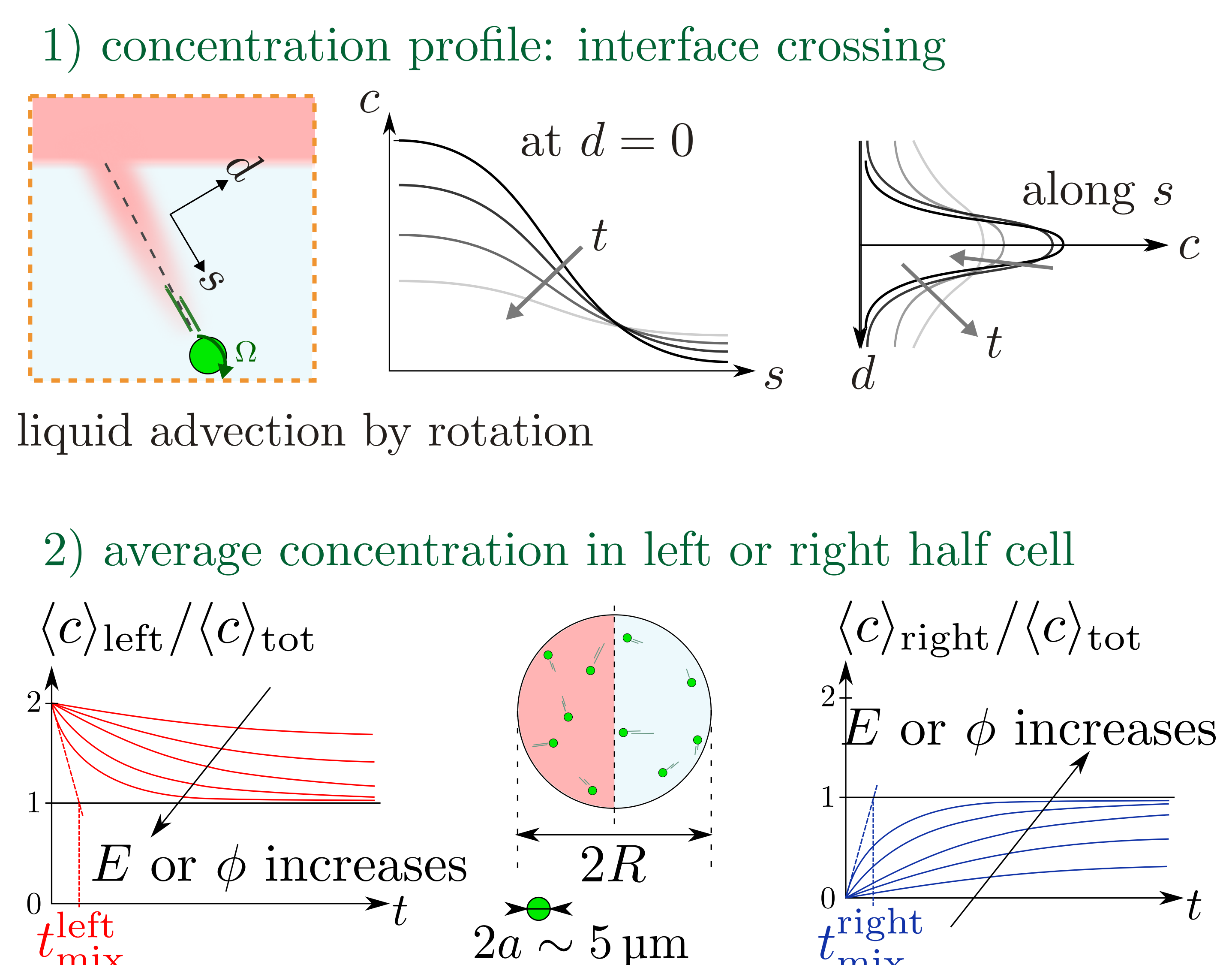
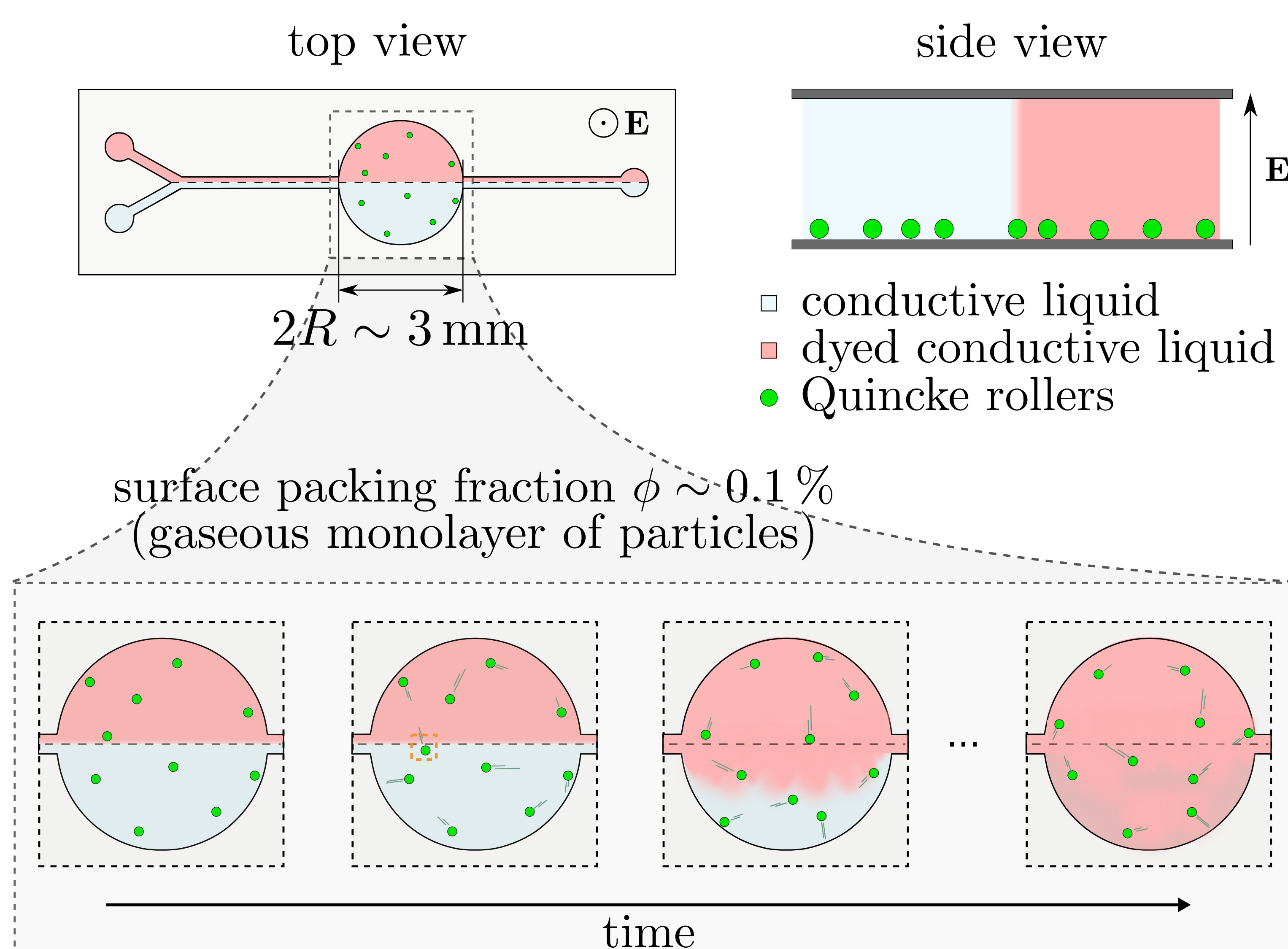
Equilibrium state: rotation with finite speed $\Omega = \frac{1}{\tau} \sqrt{\frac{E^2}{E_Q^2} - 1}$



Quincke mixing at the microscopic scale

Mixing: shear + diffusion. Quincke rollers can reach $v \sim 1 \text{ mm s}^{-1}$: fast shear at small length scales.

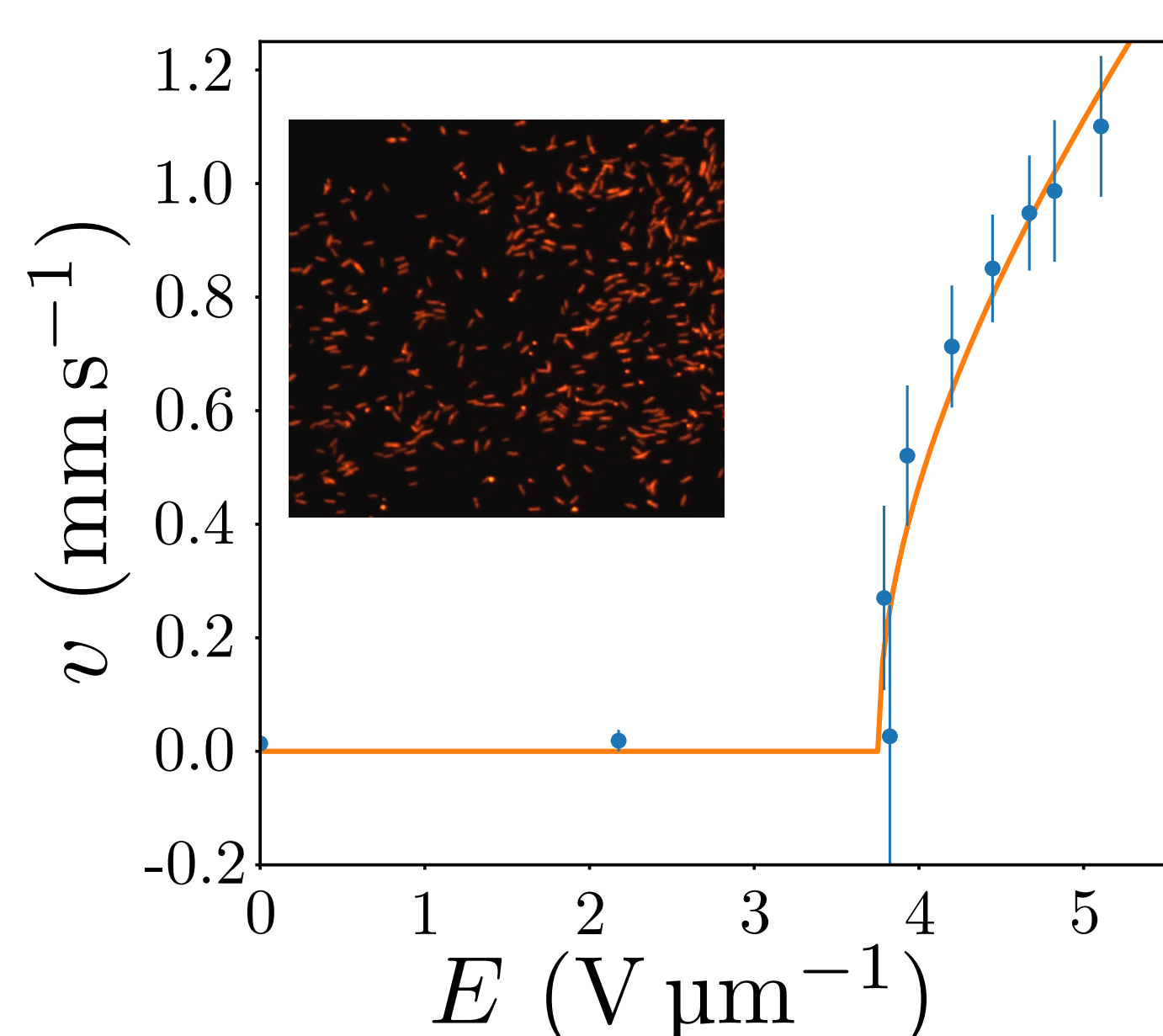
$Re \sim 10^{-3}$: mixing is difficult due to flow reversibility. Particles: break reversibility.



Order of magnitude: without shear: $t_{\text{diff}} \sim R^2/D \sim 35 \text{ min}$. With particles: $t_{\text{mix}} \sim \pi a/\phi v \sim 8 \text{ s}$.

Preliminary results and difficulties

Reproducible Quincke effect



Quincke effect: highly sensitive to system characteristics. Problems:

- E_Q depends on ε_p , ε_l , σ_p , σ_l , η , and the liquid's water content,
- dyed versus uncoloured liquid: different ε_l and σ_l , maybe different water content,
- $\sigma_l^{\text{dyed}} \neq \sigma_l^{\text{uncoloured}} \rightsquigarrow$ electrohydrodynamical instabilities.

Need to conduct careful liquid formulation to match dyed and uncoloured liquids.